

# PHYSICS A LEVEL NOTES: UNIT 1

## KINEMATICS I

### Scalars and Vectors:

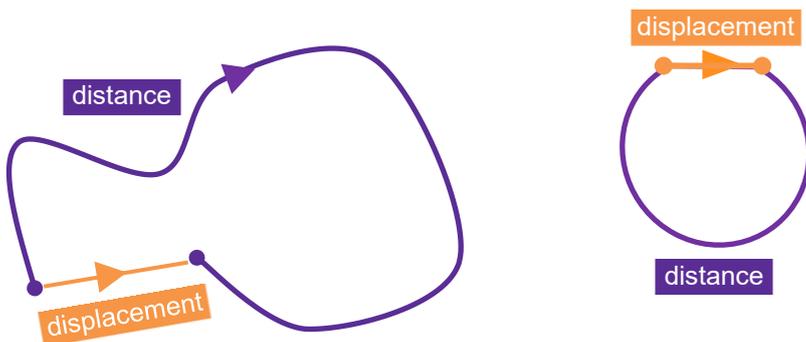
**Scalar:** quantity that only has magnitude (size)

**Vector:** quantity that has magnitude AND direction

Scalars	Vectors
mass, time, distance, speed, energy, temperature, length	velocity, acceleration, displacement, force, momentum

**Distance** (scalar quantity): a measure of the total length you have moved

**Displacement** (vector quantity): a measure of how far you are from the starting position in a given direction



If you complete a lap of an athletics track:  
distance travelled = 400m  
displacement = 0

- **Speed:** how fast something is moving (regardless of direction)
- **Velocity (v):** the rate of change of displacement (its speed in a given direction)
- **Acceleration (a):** the rate of change of velocity

Acceleration could mean a change in speed or direction or both (turning → acceleration)

### Motion with constant velocity/speed

A body covers the same distance in fixed time intervals in a specific direction

$$\text{speed} = \frac{\text{distance}}{\text{time}} \quad v = \frac{d}{t}$$

$$\text{velocity} = \frac{\text{change in displacement}}{\text{time}} \quad v = \frac{\Delta x}{\Delta t}$$

Uniform=constant

u = initial velocity

v = final velocity

a = acceleration

t = time taken

## FLUIDS

**Fluid:** any substance that can flow (usually gas or liquid)

### Density

- **Density** is a measure of the mass per unit volume of a substance
- It only depends on the **material** an object is made of. It does NOT depend on size or shape

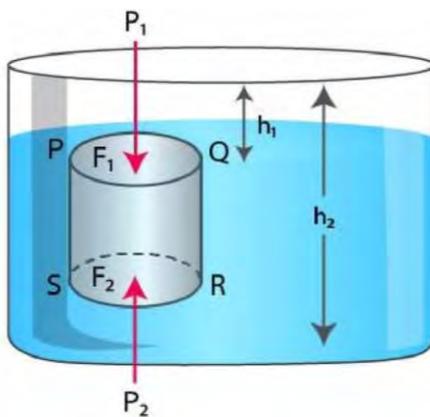
$$\text{density} = \frac{\text{mass}}{\text{Volume}}$$

The units of density are  $\text{g cm}^{-3}$  or  $\text{kg m}^{-3}$   
 $1 \text{ g cm}^{-3} = 1000 \text{ kg m}^{-3}$

$$\rho = \frac{m}{V}$$

### Upthrust

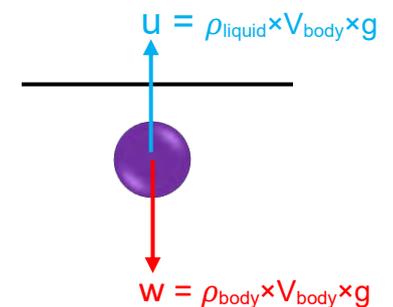
**Upthrust** is a constant **upward force** that fluids exert on objects that are completely or partially submerged in it



It's caused because the top and bottom of a submerged object are at different depths. Since  $p = \rho gh$  there is a difference in pressure which causes an overall upward force known as upthrust

Archimedes' principle says that when a body is completely or partially immersed in a fluid, it experiences an upthrust equal to the weight of the fluid it has displaced

$$\text{upthrust} = \text{weight of displaced liquid}$$

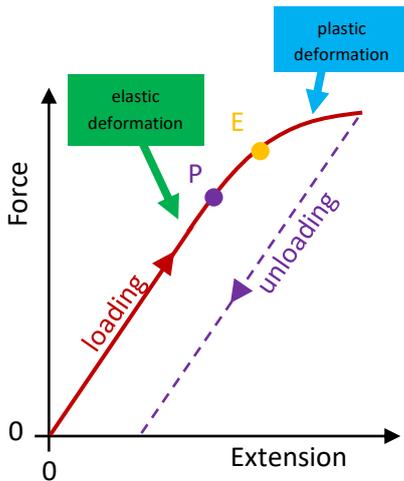


$$U = \rho g V$$

$\rho$ : density of surrounding liquid displaced  
 $V$ : volume of the object immersed

mass, if the object was filled with the surrounding liquid

## Loading-Unloading graph



- This graph is for a metal wire that has been stretched beyond its limit of proportionality (P) so it starts to curve. As the load is gradually removed, the extension decreases
- The **unloading line** is **parallel** to the **loading line** because the stiffness constant, **k is still the same**
- The wire was stretched beyond its elastic limit (E) and deformed plastically so it has been permanently stretched. That's why the **unloading line doesn't go through the origin**
- The area between the two lines is the work done to permanently deform the wire

## Elastic strain energy

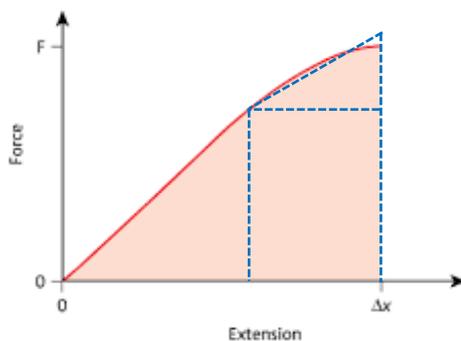
The work done in stretching a spring is stored as **elastic strain energy** in the material (before the elastic limit is reached). The energy stored in the stretched spring is equal to work done on it as it is stretched which is a result of the average force used to stretch it to extension,  $\Delta x$ . Since the force increases from 0 to F as the spring is stretched force is given by  $\frac{0+F}{2} = \frac{F}{2}$

So, work done is:

$$\text{work done} = E_{el} = \frac{1}{2}Fx$$

$$\text{or : } E_{el} = \frac{1}{2}kx^2$$

The formulae only apply when Hooke's Law is obeyed



On a force-extension graph the **elastic strain energy** is equal to the **area** under the graph. If the graph is non-linear (a curve) we can only estimate the area by counting squares or dividing the curve into trapeziums